

# Treating the Gibbs phenomenon in barycentric rational interpolation via the S-Gibbs algorithm

J.-P. Berrut<sup>1</sup>, S. De Marchi<sup>2</sup>, G. Elefante<sup>1</sup>, F. Marchetti<sup>3</sup>

<sup>1</sup> *Département de Mathématiques, Université de Fribourg, Switzerland*

<sup>2</sup> *Dipartimento di Matematica “Tullio Levi-Civita”, Università di Padova, Italy*

<sup>3</sup> *Dipartimento di Salute della Donna e del Bambino, Università di Padova, Italy*

*jean-paul.berrut@unifr.ch, demarchi@math.unipd.it,*

*giacomo.elefante@unifr.ch, francesco.marchetti.1@phd.unipd.it*

In [1] a new method of interpolation based on mapped polynomial bases has been presented. In the present work we extend it to the barycentric rational interpolation case, focusing on Floater-Hormann interpolants [2] and on approximants produced via the AAA algorithm [4]. The barycentric representation of the interpolants provides a better stability which allows to use a higher degree than with the polynomials [3].

In particular, we focus on the *S-Gibbs* algorithm described in [1] and we run numerical tests which show that its application to barycentric rational interpolation yields an accurate interpolation of discontinuous functions.

## References

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